

f2f+-pred^{11,40}

$\text{f2f+-pred}\{\text{i:l}\}$
 $(es; ff; f2f+; sndr; rcvr; e'; e)$
 $\equiv_{\text{def}} (\text{snd-it}(ff; \text{f2f+Req}(f2f+); e; sndr; rcvr))$
 $\wedge (\exists a:\text{es-E}(es))$
 $((a c \leq e \wedge \text{rcv-it}(ff; \text{f2f+Ack}(f2f+); a; sndr; rcvr))$
 $\wedge (\forall x:\text{es-E}(es).$
 $(\text{es-causl}(es; a; x) \wedge x c \leq e) \Rightarrow (\neg \text{rcv-it}(ff; \text{f2f+Ack}(f2f+); x; sndr; rcvr)))$
 $\wedge (e' = \text{fifoSender}(ff)(sndr, a))))$
 $\vee (\text{snd-it}(ff; \text{f2f+Ack}(f2f+); e; rcvr; sndr)$
 $\wedge (\exists a:\text{es-E}(es))$
 $((a c \leq e \wedge \text{rcv-it}(ff; \text{f2f+Req}(f2f+); a; rcvr; sndr))$
 $\wedge (\forall x:\text{es-E}(es).$
 $(\text{es-causl}(es; a; x) \wedge x c \leq e) \Rightarrow (\neg \text{rcv-it}(ff; \text{f2f+Req}(f2f+); x; rcvr; sndr)))$
 $\wedge (e' = \text{fifoSender}(ff)(rcvr, a))))$

clarification:

$\text{f2f+-pred}\{\text{i:l}\}$
 $(es; ff; f2f+; sndr; rcvr; e'; e)$
 $\equiv_{\text{def}} (\text{snd-it}(ff; \text{f2f+Req}(f2f+); e; sndr; rcvr))$
 $\wedge (\exists a:\text{es-E}(es))$
 $((\text{es-causle}(es; a; e) \wedge \text{rcv-it}(ff; \text{f2f+Ack}(f2f+); a; sndr; rcvr))$
 $\wedge (\forall x:\text{es-E}(es).$
 $(\text{es-causl}(es; a; x) \wedge \text{es-causle}(es; x; e))$
 $\Rightarrow (\neg \text{rcv-it}(ff; \text{f2f+Ack}(f2f+); x; sndr; rcvr)))$
 $\wedge (e' = \text{fifoSender}(ff)(sndr, a) \in \text{es-E}(es))))$
 $\vee (\text{snd-it}(ff; \text{f2f+Ack}(f2f+); e; rcvr; sndr)$
 $\wedge (\exists a:\text{es-E}(es))$
 $((\text{es-causle}(es; a; e) \wedge \text{rcv-it}(ff; \text{f2f+Req}(f2f+); a; rcvr; sndr))$
 $\wedge (\forall x:\text{es-E}(es).$
 $(\text{es-causl}(es; a; x) \wedge \text{es-causle}(es; x; e))$
 $\Rightarrow (\neg \text{rcv-it}(ff; \text{f2f+Req}(f2f+); x; rcvr; sndr)))$
 $\wedge (e' = \text{fifoSender}(ff)(rcvr, a) \in \text{es-E}(es))))$